## CS 61A Structure and Interpretation of Computer Programs Summer 2017 <br> Redemption Quiz 1

## INSTRUCTIONS

- You have 10 minutes to complete this quiz.
- The exam is closed book, closed notes, closed computer, closed calculator.
- This redemption quiz is not worth any points; turn it in at lecture if you would like feedback.
- Mark your answers on the exam itself. We will not grade answers written on scratch paper.
- For multiple choice questions,
- $\square$means mark all options that apply
$-\bigcirc$ means mark a single choice

| Last name |  |
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| Name of the person to your left |  |
| Name of the person to your right |  |
| All the work on this exam is my own. (please sign) |  |

1. (5 points) Temmie Flakes (It's just torn up pieces of construction paper.)

Implement enumerate_ways, which takes a tree $t$ and an integer total and returns a list of the ways any sequence of consecutive nodes can sum to total. Below are the four ways included in enumerate_ways ( $\mathrm{t} 1,7$ ).

def enumerate_ways(t, total):
"""Return a list of the ways that any sequence of consecutive nodes can sum to total.
>>> t1 $=$ tree(5, [tree(1, [tree(2, [tree(1)]),
tree(1, [tree(4, [tree(2, [tree(2)])])])]),
... tree(3, [tree(2, [tree(2),
... tree(3)])]),
... $\quad \operatorname{tree}(3,[\operatorname{tree}(1,[\operatorname{tree}(3)])])])$
>>> enumerate_ways(t1, 7)
[[5, 1, 1], [1, 4, 2], [3, 2, 2], [3, 1, 3]]
>>> enumerate_ways(t1, 4)
$[[1,2,1],[4],[2,2],[2,2],[3,1],[1,3]]$
>>> t2 $=$ tree(2, [tree(-10, [tree(12)]),
... tree(1, [tree(1),
>>> enumerate_ways(t2, 2)
[[2], $[-10,12],[2,1,-1],[1,1],[1,-1,2],[2]]$
>>> enumerate_ways(t2, 4)
$[[2,-10,12],[2,1,1],[2,1,-1,2]]$
"""
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def paths( $\qquad$ ):
ways = $\qquad$
if $\qquad$ _:
$\qquad$
for $b$ in branches( $t$ ):
ways += $\qquad$
$\qquad$
$\qquad$
return ways
return $\qquad$

